

Direct photons and thermal dileptons



SUNY @ Stony Brook, NY
Jan. 15-20, 2001

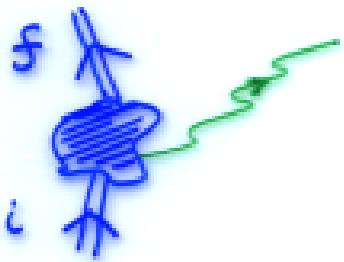
Charles Gale
McGill University



Outline

- PHOTONS & DILEPTONS : THE INFORMATION WE CAN ACCESS.
- THE EXPERIMENTAL PROGRAM : RESULTS.
 - LOW-MASS DILEPTONS
 - REAL PHOTONS
 - INTERMEDIATE-MASS DILEPTONS
- THE FUTURE.

The information we can access



$$R_{fi} = \frac{|S_{fi}|^2}{\omega V}$$

$$S_{fi} = \langle f | \int d^4x \hat{J}_\mu(x) A^\mu(x) | i \rangle \quad (\text{photons})$$

$$S_{fi} = \langle f | \left[\int d^4x \int d^4y \hat{J}_\mu(x) D^\mu(x-y) J_\nu^\nu(y) \right] | i \rangle \quad (\text{di leptons})$$

IN A THERMAL ENSEMBLE:

$$dR \sim \sum_i e^{-\beta k_i} \langle f | \hat{J}_\mu | i \rangle \langle i | \hat{J}_\nu | i \rangle$$

THERMAL AVG. OF CURRENT-CURRENT, $\langle \cdot \cdot \rangle$

$$\omega \frac{d^3 R}{d^3 k} = - \frac{g^{\mu\nu}}{(2\pi)^3} \boxed{\frac{dm \Pi_{\mu\nu}(k)}{dk^4}} \frac{1}{e^{\beta \omega} - 1}$$

Measurement of Tohoku at
wavenumbers 83
e.g. of importat 91

$$E_+ E_- \frac{d^6 R}{d^3 p_+ d^3 p_-} = \frac{2e^2}{(2\pi)^6} \frac{1}{|k|^4} \frac{e^{\beta \omega}}{2} \boxed{\frac{dm \Pi_{\mu\nu}}{dk^4}} \cdot \frac{1}{e^{\beta \omega} - 1}$$

$\Pi = \underline{I_m - \text{medium}} \propto \text{SELF-ENERGY}$

A MODEL FOR THE HADRONIC ELECTROMAGNETIC CURRENT: VMD

$$J_\mu = \sum_{i=8} g_i S_\mu^i$$

SACURAI 69

KROLL, LEE, ZUINO 67

KLINGL et al. 94

$$\langle J_\mu J_\nu \rangle_T \xrightarrow{\text{VMD}} \langle \phi_\mu \phi_\nu \rangle_T$$

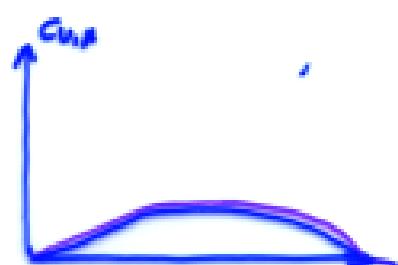
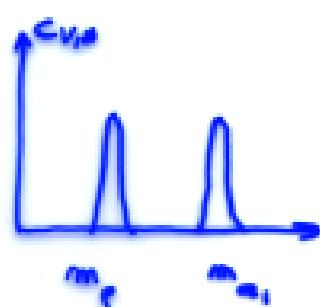
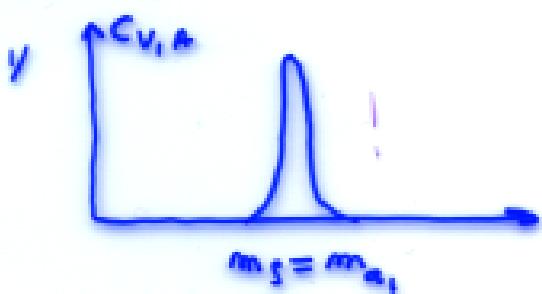
$R \sim \text{dim } D_{\mu\nu}^T \Rightarrow$ SPECTRAL DENSITIES

$\therefore Y/Y^*$ TELL US ABOUT in-medium VECTOR MEASUR.

CHIRAL SYMMETRY:

χ , SYMMETRY RESTORATION: NO DIFF. BETWEEN C_V & C_A

KAPUSTA & CHAKRABORTI 94:



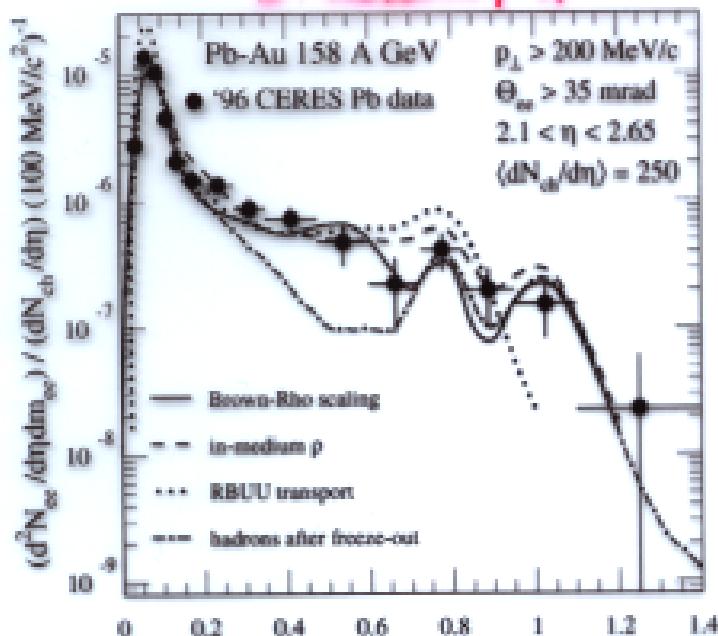
DET, ELECTR. & IONS, 1990

The experimental program

- Low Energy:
 - DLS
 - TAPS
 - NADES
- SpS:
 - HELIOS -1, -2, -3 $(\ell^+ \ell^+, \gamma)$
 - CERES $(\pi^+ \pi^-, \gamma)$
 - WA80, WA90 (γ)
 - NA3B $(\pi^+ \pi^-)$
 - NA50 $(\ell^+ \ell^-)$
- RHIC:
 - PHENIX $(\gamma, \pi^+ \pi^-)$
 - STAR

Dileptons: low mass

I. Tseruyta, 99

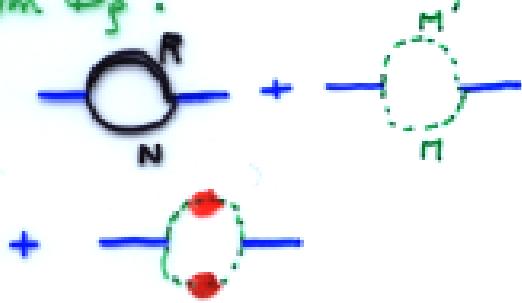


BR: BESLEN, RHO, Li 1997

Transport: V. Koch, 1999

CALCING & BRATkovskij 98

dm D_p:



FRITZSCH, PIRNER 97

HEITMANN, FRITZSCH, NÖRNBERG 92

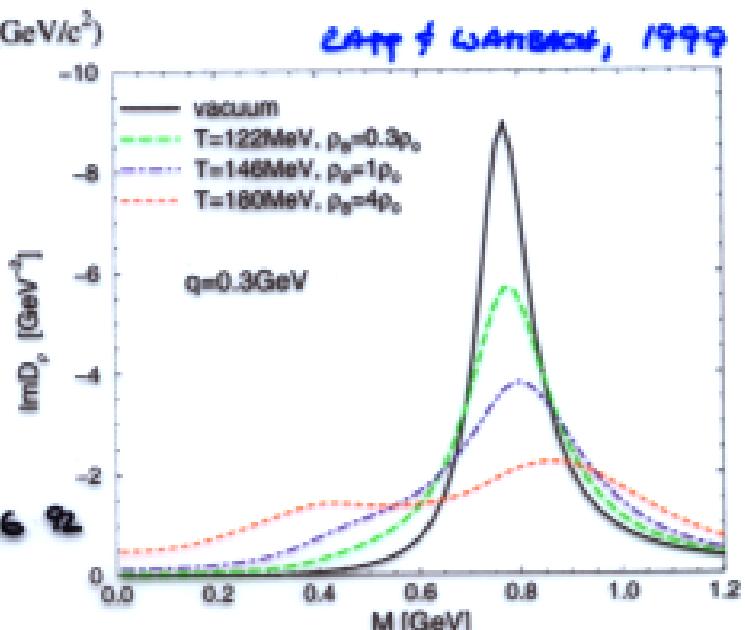
RAPP, CHANDRAN, WENZEL 97

PETERS et al. 98

SIBIRSKY, CALSING 98

ELETSKY, JAFFE, KAPUSTIN 98

CAPP & WENZEL, 1999



• RA DATA

• PL DEPENDENCE ON T_c
EXCESS

WHAT NEXT ?

- HIGH RESOLUTION MEASUREMENT AROUND THE V PEAKS.

$$M \sim m_V : I_m D_V \sim \frac{1}{I_m \sum_V}$$

Supp F.C.G. 1999

CACDING & SARTORIUS

1998

$$M \sim 0 : I_m D_V \sim I_m \sum_V$$

- HIGHLIGHT / EXPLORE THE BARYON CONTRIBUTION :

$$\xi_B \uparrow = \text{Low Energy Run} ?$$

BEDDOME, DUTT-RAZDRAZ, KO, KOCH, C.G., 2000

HUOVINEN & PRakash, 1999

$$\bullet + \bullet \rightarrow \text{Mixing}$$

CHIN 1997

WOLF, FRITHJOF, SIEUR 1998

TODDORN, DUTT-RAZDRAZ, C.G., 2000

(σ -GO, S-a.)

Real photon emission: Considerations

- pQCD contributions
- Intrinsic k_T broadening of the partons J. OWENS 1987
WANG & WANG 1995
- Additional k_T broadening of the incoming partons X. N. WANG, 1998
RAFF, FAI & LEWIN, 1999
- Emission from the QGP phase KAPUSTA, LICHARD & SEIBERT, 1991
AURENHE, GEURTS, J. D. 1998
- Emission from the hadron phase KAPUSTA, LICHARD & SEIBERT, 1991
XIONG, SARKAR & BROWN, 1992
C. SONG, 1993
GRUNISTER et al., 2000
PERESOVSCHIKOV & POKROVSKY, 2000
ALTM et al., 2001
- Dynamical effects: intrinsic v_T C. SONG, 1993
GRUNISTER et al., 2000
PERESOVSCHIKOV & POKROVSKY, 2000
- In-medium effects:
 - Brown-Rho scaling BROWN, HUO 1991
 - Modifications of the vector spectral densities RAPP, CHABRAT & WERBACH, 1997
- Shadowing and energy-loss effects JALILIAN-MIZAN, OGAWA, SAROFIM, 2000.
- Pre-equilibrium component SEIVANTHIA & GEIGER, 1997
SEIBERT & ALTHERR, 1993

Photons

OBSERVATIONS: $1.5 < p_T < 2.5 \text{ GeV}/c$ WA98

($\pi_0 = 1 \text{ fm}/c$) HADRON GAS (mesons) $\sim 25\text{-}30\%$
(Wong, WA98) QCD @ NLO + k_T $\sim 45\text{-}48\%$

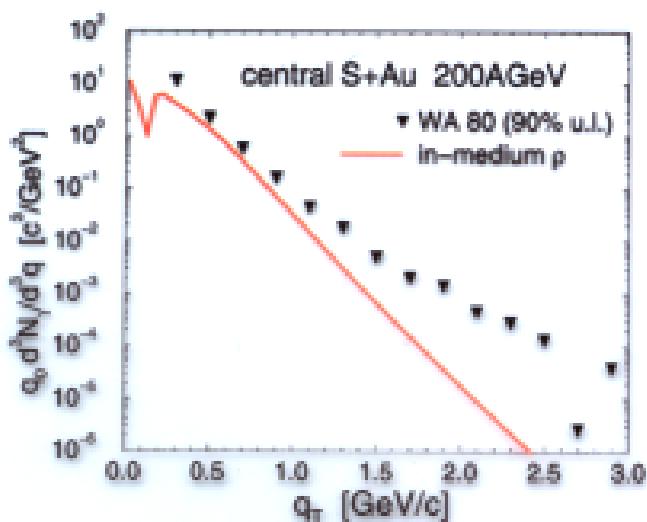
WHAT ABOUT THE BARYONS?

WA80 @ $p_T = 1.5 \text{ GeV}/c$

($\pi_0 = 1 \text{ fm}/c$) HADRON GAS $\sim 22\%$

Fermions $\sim 16\%$

∴ Apply the I.M. ξ to WA98?



Rapp & Wambach
Adv. Nucl. Phys. (in press)
(\sim LOWER THAN 378 GeV)

∴ ONLY PARTIAL CONCLUSIONS ARE POSSIBLE, UNLESS
THE SAME APPROACHES ARE USED FOR γ & γ^* !

→ **CONSISTENCY**

10

158 A GeV $^{208}\text{Pb} + ^{208}\text{Pb}$
Central Collisions

■ WA98 This Result

pA Results at $s^{1/2} = 19.4 \text{ GeV}$
scaled to $s^{1/2} = 17.3 \text{ GeV}$

□ E629

○ E704

△ NA3

$1/N_{E_\gamma} E d^3 N_\gamma / dp^3 (c^3 \text{ GeV}^2)$

1

10⁻¹

10⁻²

10⁻³

10⁻⁴

10⁻⁵

10⁻⁶

10⁻⁷

pQCD ($s^{1/2} = 17.3 \text{ GeV}, y=0$), Wong et al.

..... CTEQ4, $\langle k_T^2 \rangle = 0.9 (\text{GeV}/c)^2$

..... CTEQ4, No intrinsic k_T

10

0

0.5

1

1.5

2

2.5

3

3.5

4

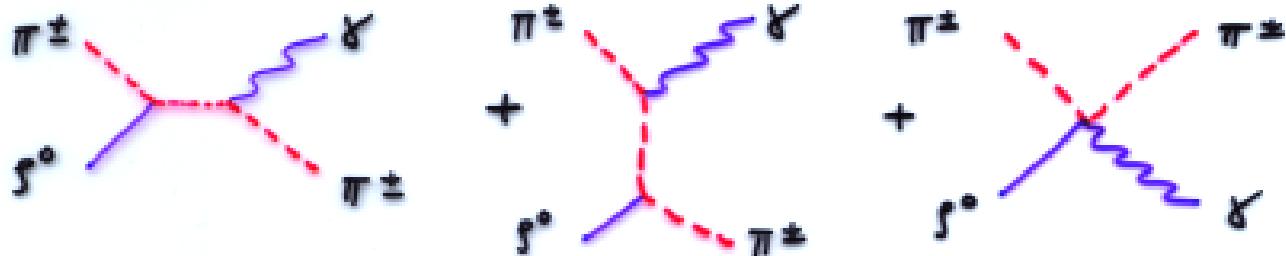
4.5

Transverse Momentum (GeV/c)

Photons: Hadronic rates

KERKUT, LICHARD, SEIBERT 1991, 1993; AUBRÉ ET AL., 1998
C. JUNG, 1993

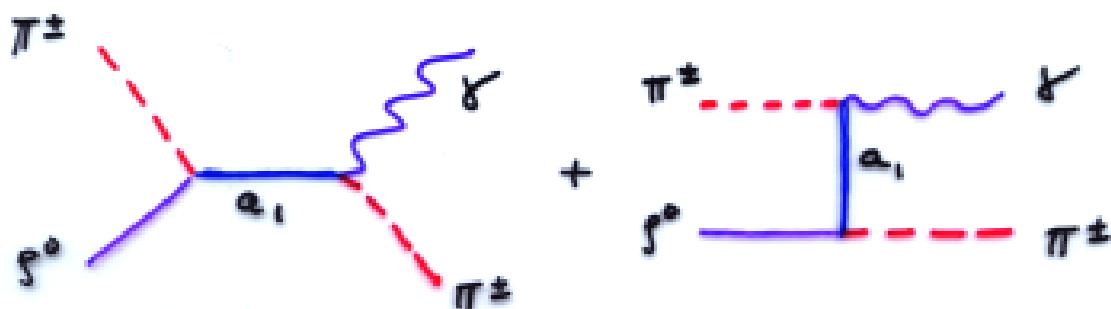
One finds that the relevant reactions are: $\pi\rho \rightarrow \pi\gamma$, $\pi\pi \rightarrow \rho\gamma$, $\pi\pi \rightarrow \eta\gamma$, $\pi\eta \rightarrow \pi\gamma$, and $\rho \rightarrow \pi\pi\gamma$, $\omega \rightarrow \pi\gamma$.



- Those rates are robust.



The a_1 is found to play an important role:



WONG, SHURYAK, BROWN, 1992

Problem: There is no *unique* way to implement a chiral-symmetric model with vector mesons.

Lagran

EFFECTIVE HADRONIC LAGRANGIANS WITH THE APPROPRIATE SYMMETRIES CAN BE USED AS USEFUL TOOLS

- GAUGING THE NON-LINEAR Γ MODEL. SPIN 1

FIELDS ARE MASSIVE YANG-MILLS BOSONS.

SAKURAI 1969, SCHECHELER ET AL. 1984

- GAUGING THE LINEAR Γ MODEL.

KO & RODZ, 1994.

- APPROXIMATING CHIRAL SYMMETRY RESTORATION VIA THE GEORGI VECTOR LIMIT.

CHAKRABORTY, STEELE, LI & BROWN, 1990

- EFFECTIVE CHIRAL THEORY THROUGH THE BACKGROUND FIELD METHOD D.A. LI, 1995, 1997.

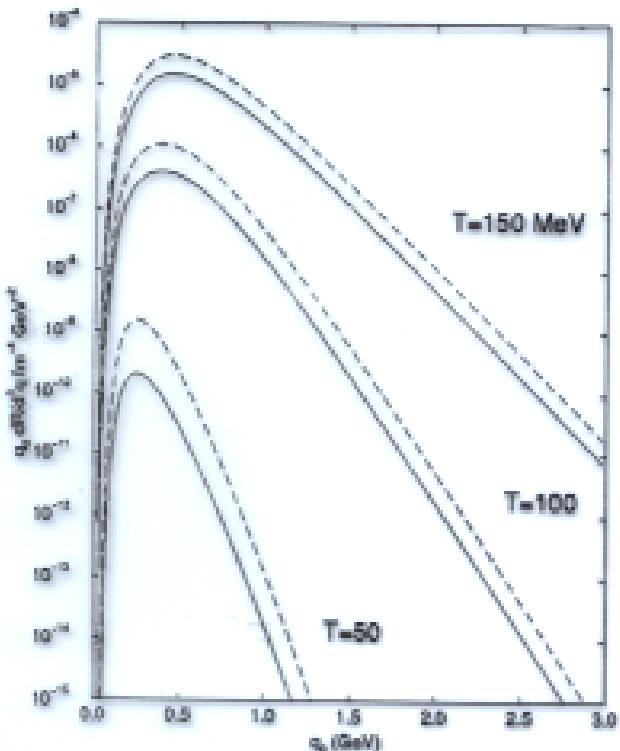
- PHENOMENOLOGICAL APPLICATIONS

XIONG, SHULTE, BROWN, 1991

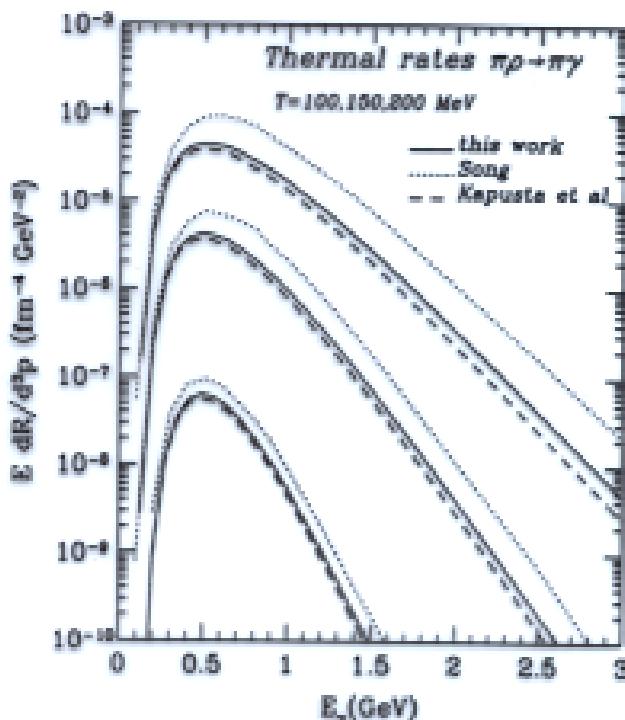
JANSEN, HOLLAENDER & SPETH, 1994.

{ DIFFERENT CHOICE & NUMBER OF CHANNELS
{ DIFFERENT OFF-SHELL BEHAVIOUR

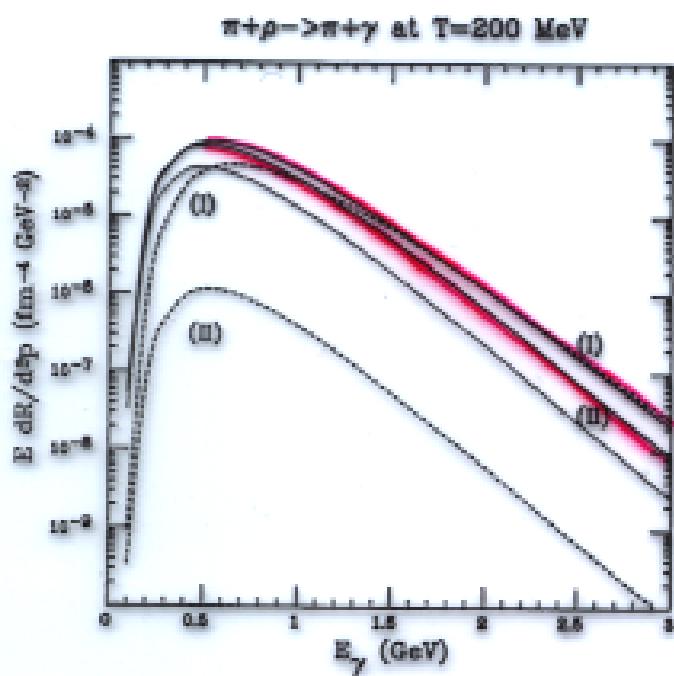
γ HADRONIC RATES:



STEELE, YANAGISHI, BROWN
1996



HALLIBURTON, STEELE, CL. BROWN 1998



PRODUCTION RATES
CAN DIFFER BY A
FACTOR OF ~ 3

C. SONG, 1998

TABLE I. The phenomenology of the different models

	Ko I	II	GKS	Li	XSB	JHS	DATA
$\Gamma(a_1\rho\pi)$	313.4	579.1	fit	331.7	fit	fit	~ 400 MeV
$\Gamma(a_1\pi\gamma)$	0.572	1.171	0.067	0.331	1.940	0.312	0.640 ± 0.246 MeV
f_D/f_S	0.078	-0.168	-0.099	-0.161	0.185	0.045	-0.09 ± 0.03
χ^2	11.8	9.6	1.8	3.1	37.3	7.3	

$\rightarrow \frac{D}{S}$ ratio : R. ISGUR & A., 1969.

- Effective Hadronic Lepstrine Standard model
- To basic Hadronic Phenomenology.

• It is the first to predict the effect of

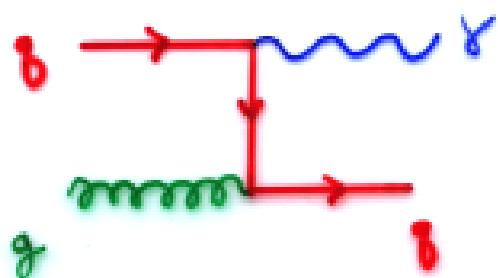
Photons: QCD rates

1st ORDER: One-Loop

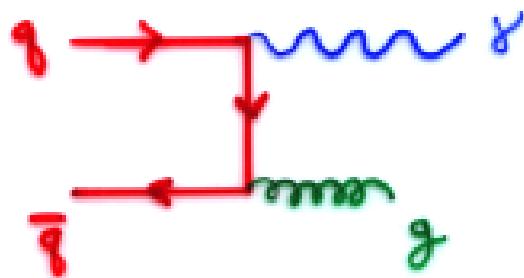


- BRAaten, PISTAKIS & YUAN , 1990.
- BAIER, REINHOLD & SOHN, 1993.
- AURENCHE, BECHERRAUX, PETTIGEARD, 1993.
- BAIER, NIEGAUD et al., 1993.
- KAPUSTA, LICHNER & SEIBER, 1993.

They contain :

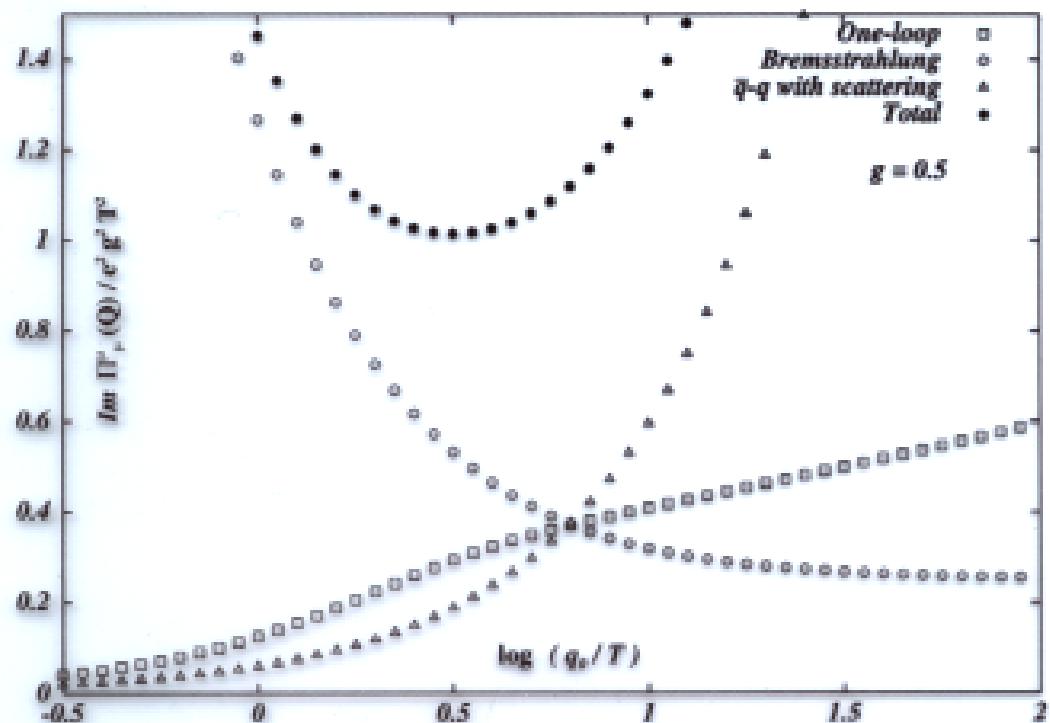
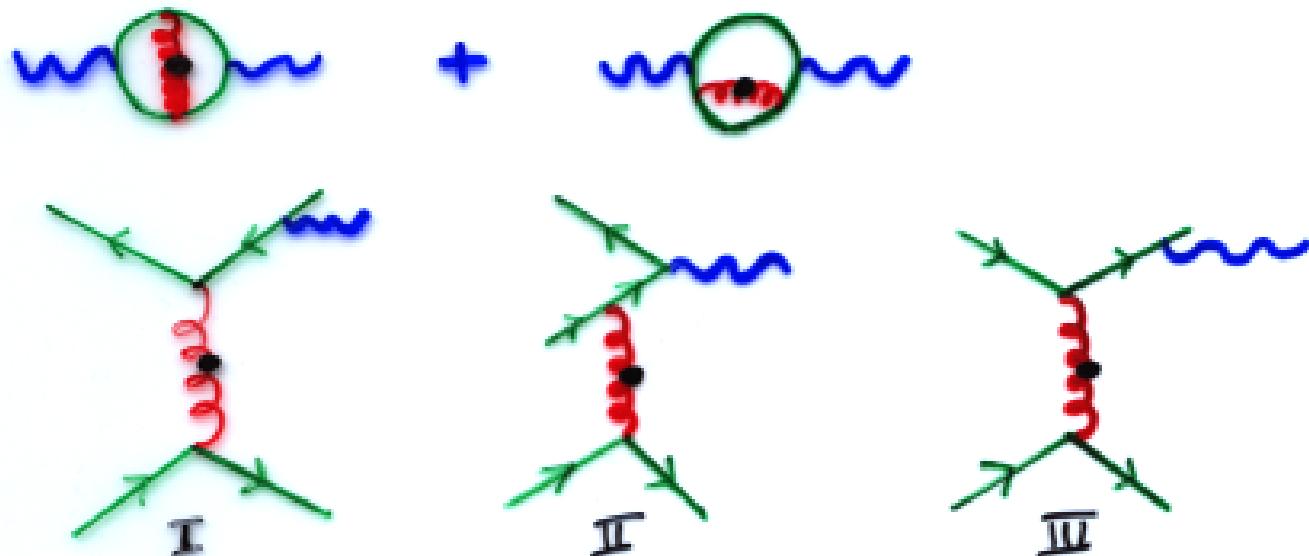


$$gg \rightarrow g\gamma$$



$$g\bar{g} \rightarrow \gamma g$$

Photons: QCD rates (II)



AURENHE, SEUS et al. 1998

Contribution from II dominates.

Intrinsic k_{\perp} :

$$t_H \sim 0.5 \text{ fm} , \sigma \sim t/t_H = 400 \text{ MeV/c}$$

$$\langle k_{\perp}^2 \rangle = 2\sigma^2 \approx 0.82 (\text{GeV/c})^2$$

SOFT g. emission will increase THIS.

Energy analysis by Owens (LO): $\langle k_{\perp}^2 \rangle = 0.9 (\text{GeV/c})^2$
 $\text{at } \sqrt{s} = 20 \text{ GeV}$

$$K(p_T) = E_T \frac{d^3\sigma}{d^3p_T} (LO + NLO) / E_T \frac{d^3\sigma}{d^3p_T} (LO)$$

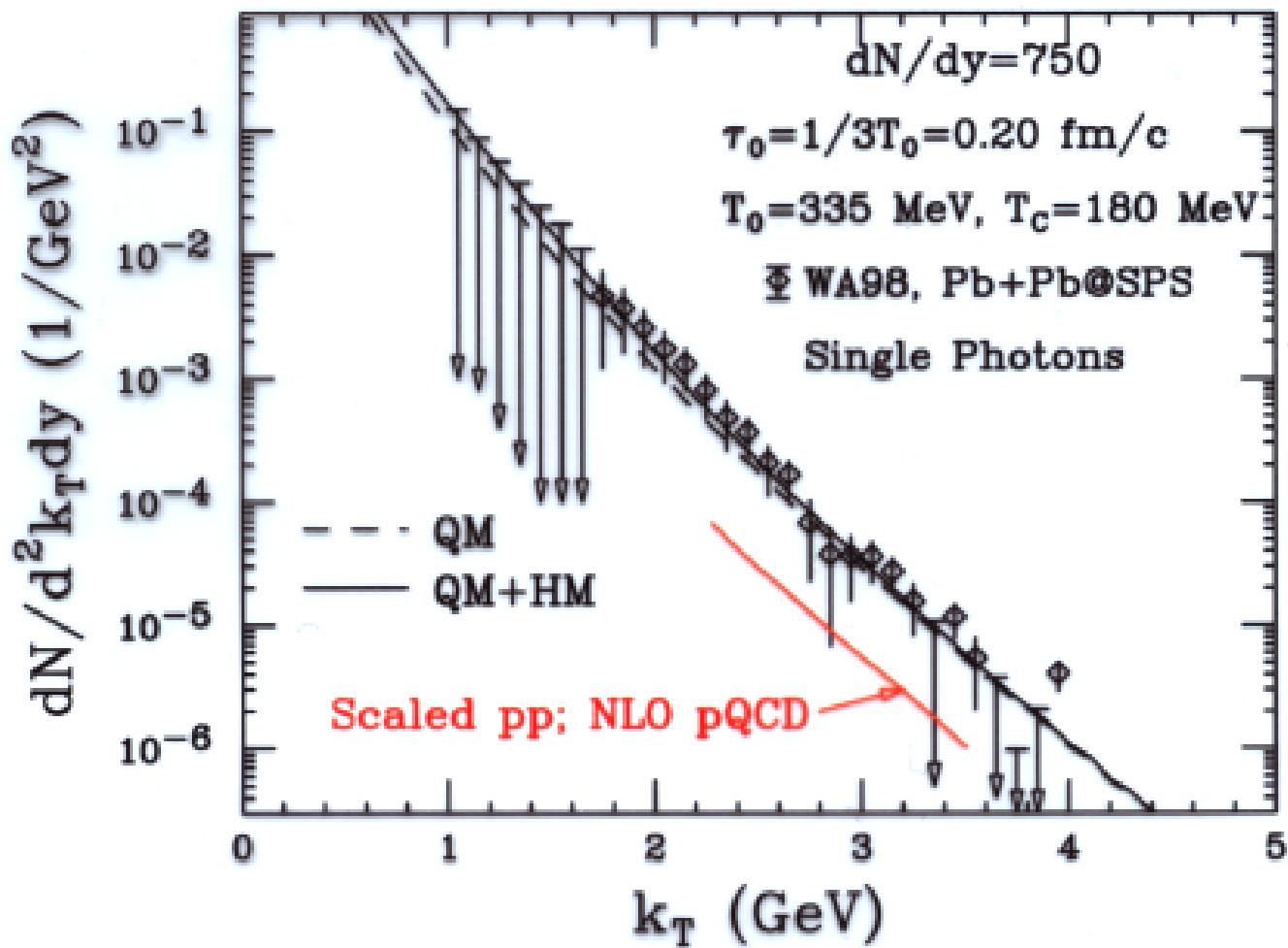
$$E_T \frac{d^3\sigma}{d^3p_T} (LO + NLO + P_T) \simeq K(p_T) E_T \frac{d^3\sigma}{d^3p_T} (LO + P_T)$$

- SLIGHTLY inconsistent
- ANALYSIS OF DATA NOT CONCLUSIVE:

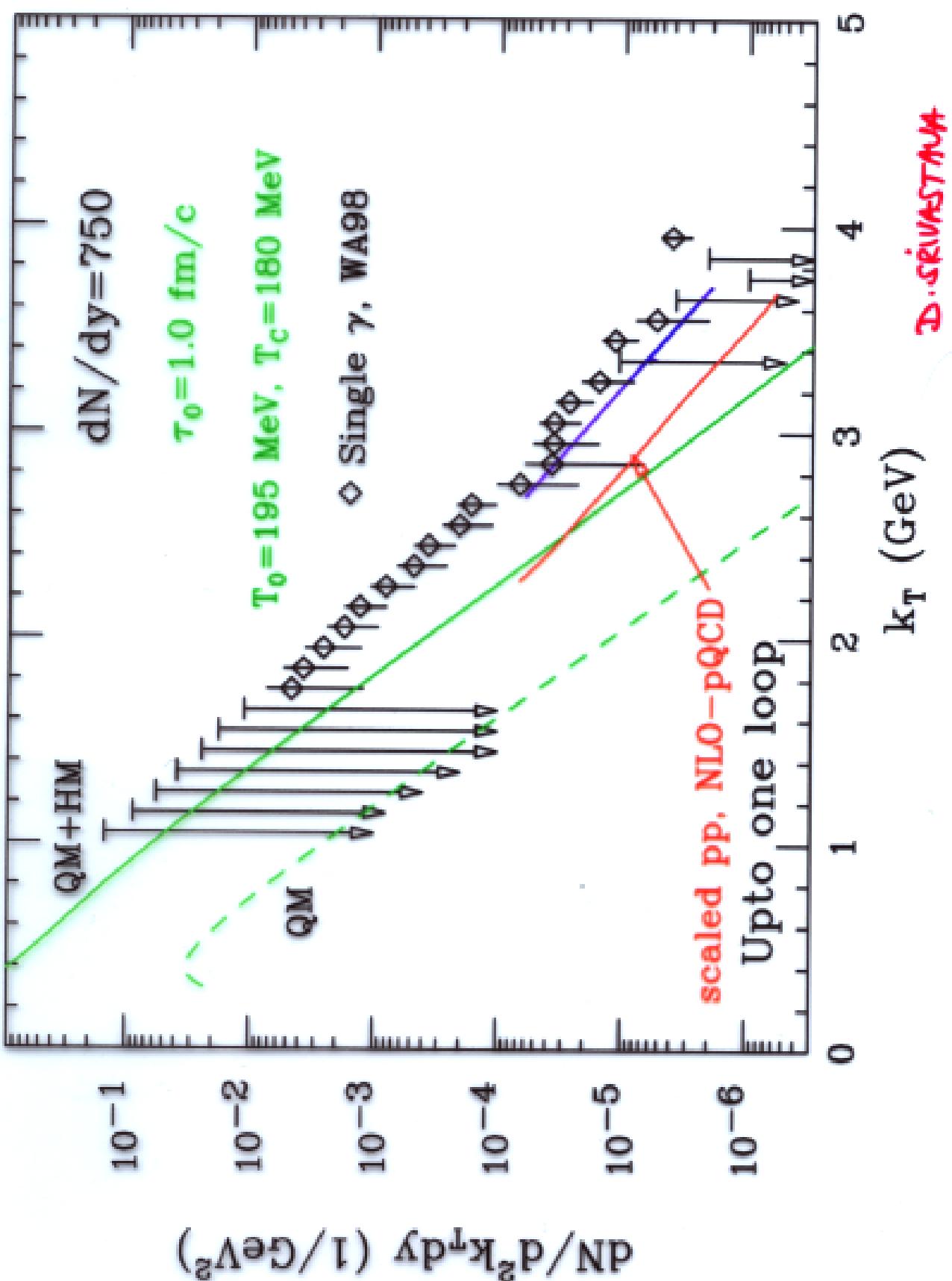
- P. Aufreiter et al., 1999 :
- No need for k_{\perp}
 - DATA SETS ARE INCONSISTENT

$$(\sqrt{s} \geq 23 \text{ GeV})$$

D. K. SRIWASTAVA & B. SINHA, 2000



CONTAINS THE HIGHER ORDER α_s^2
RESULTS OF KUMAR, ET AL.



How critical are the high T's?

High T_c:

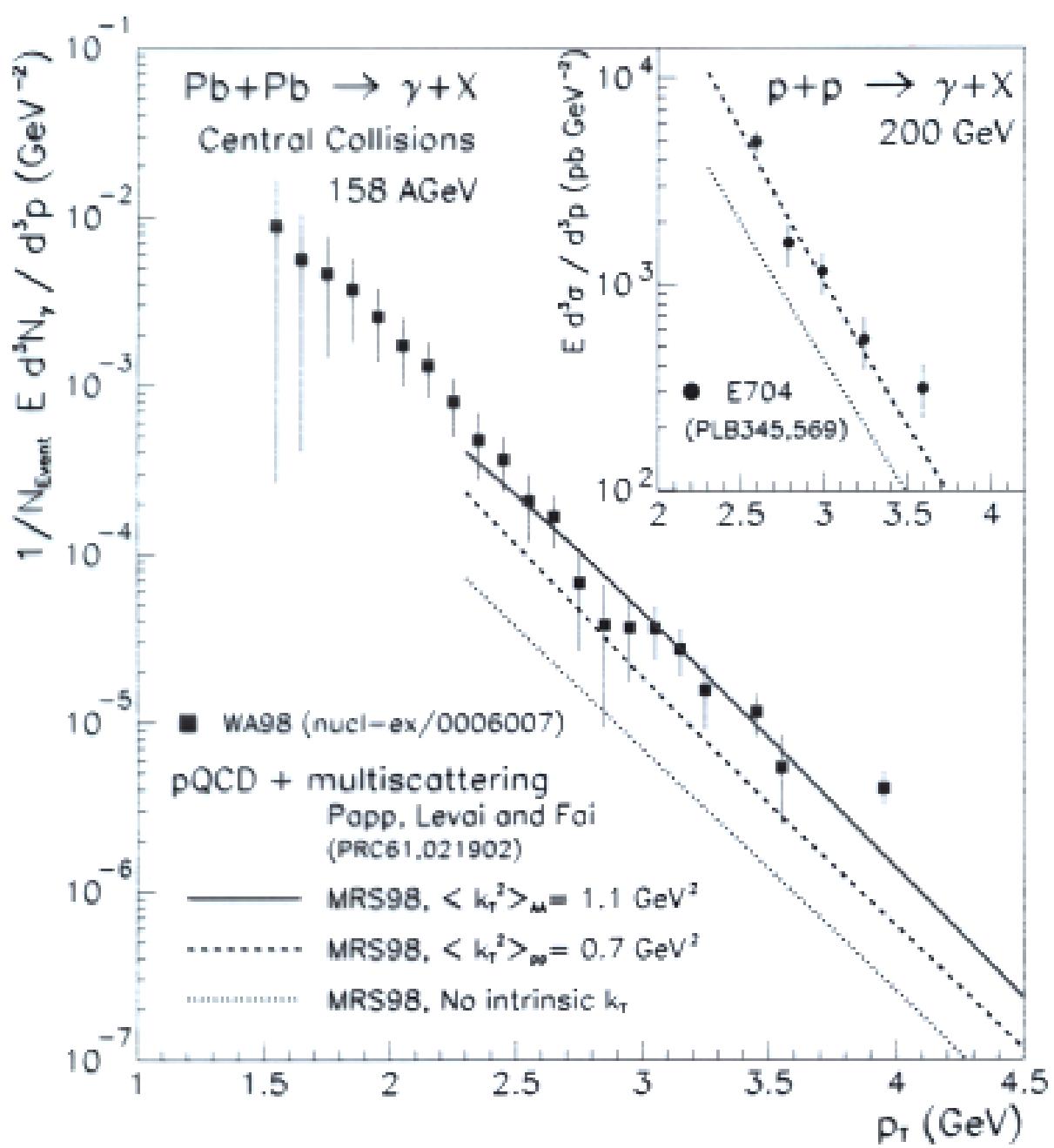
- k_{\perp} intrinsic à la Wong & Wong:

$$k \approx 2$$

- soft scattering à la FAH, Leutgeb & Papp:

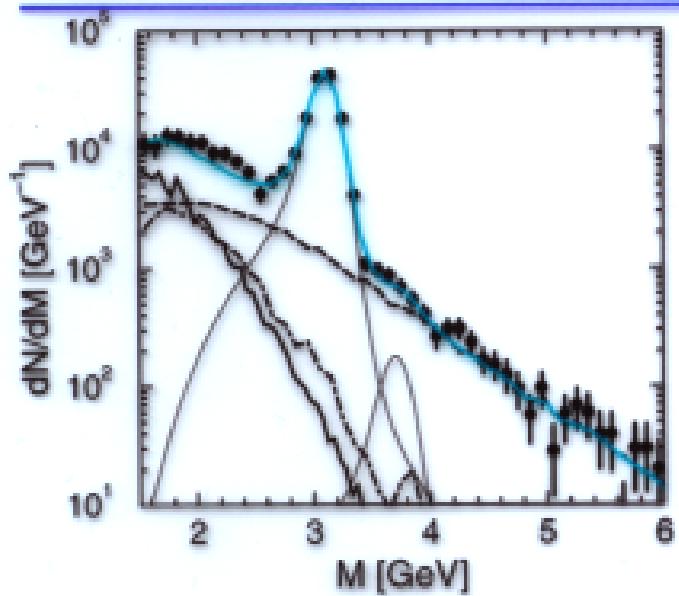
$$k \approx 2$$

(Fai, Leutgeb & Papp, PRB 2000)

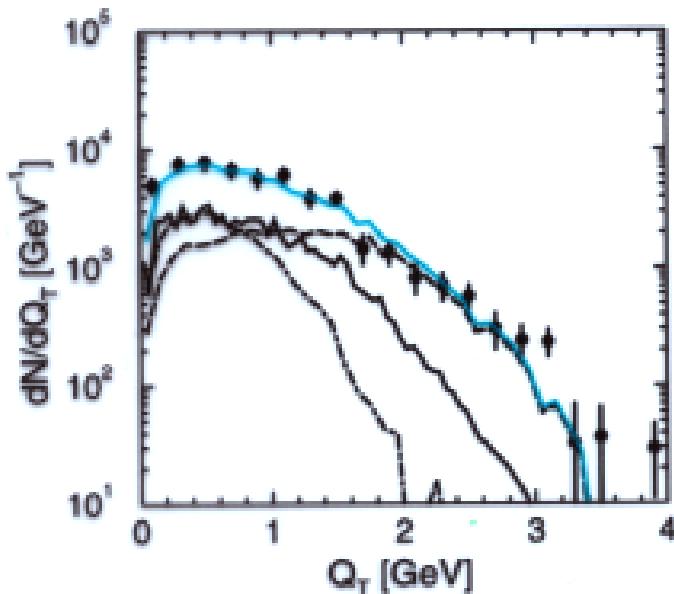
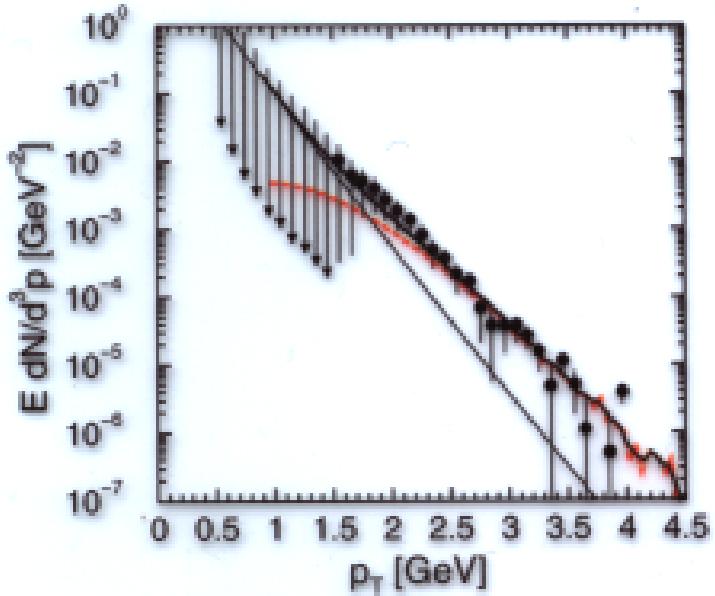


Fai, Levai, Papp, 2001

An attempt at consistency ?



- THERMAL



$$T_e = 170 \text{ MeV} = \langle T \rangle$$

• CERES (KLINGL &
WEISE, 1998)
SCHUBINGER & WEISE, 2000

• Simplified Dynamics

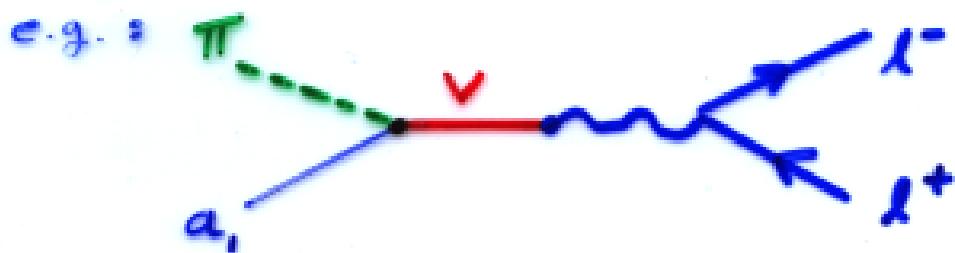
$$T_i > T_e$$

Dileptons: Intermediate mass

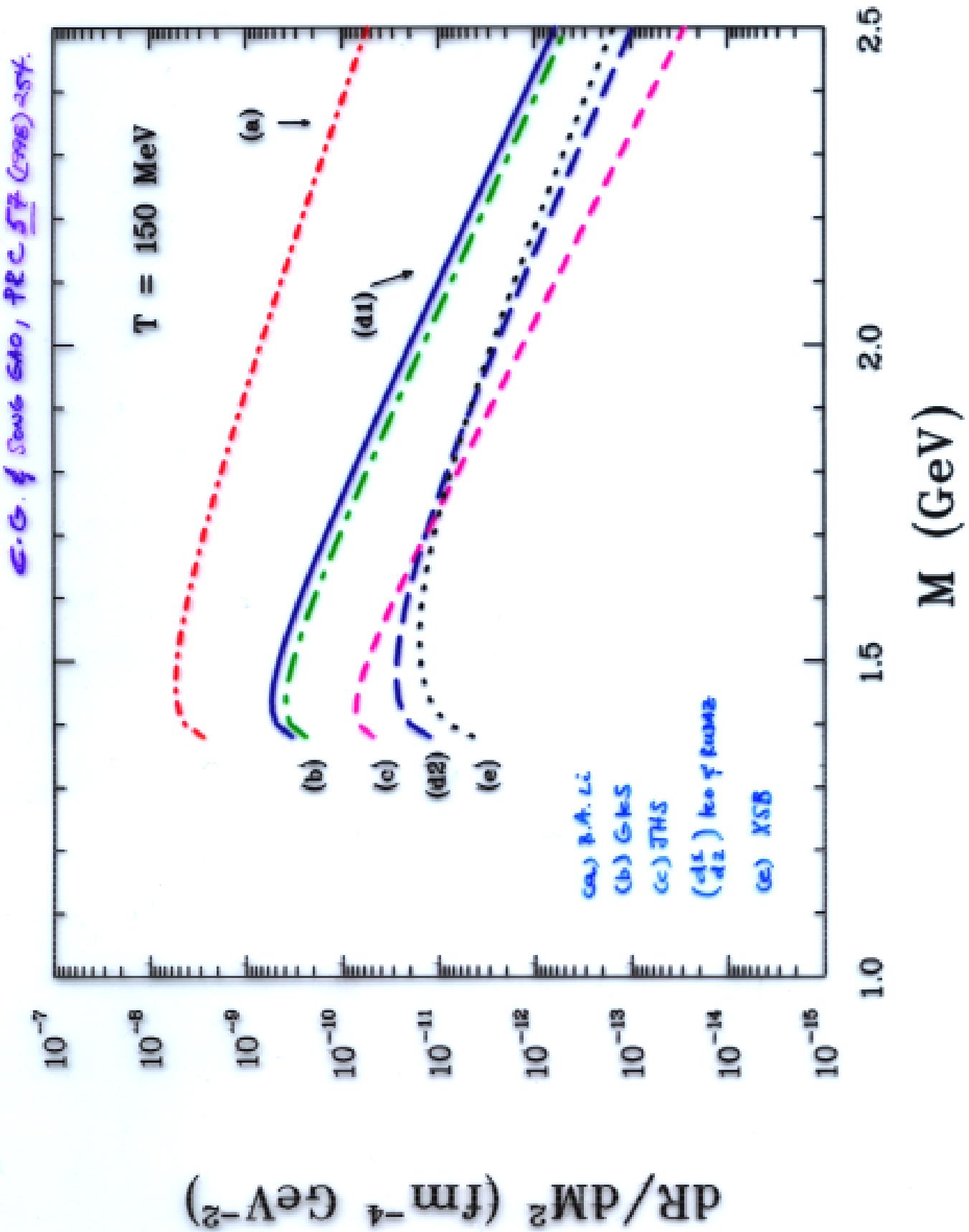
- The presence of off-shell effects makes the use of effective hadronic Lagrangians problematic.

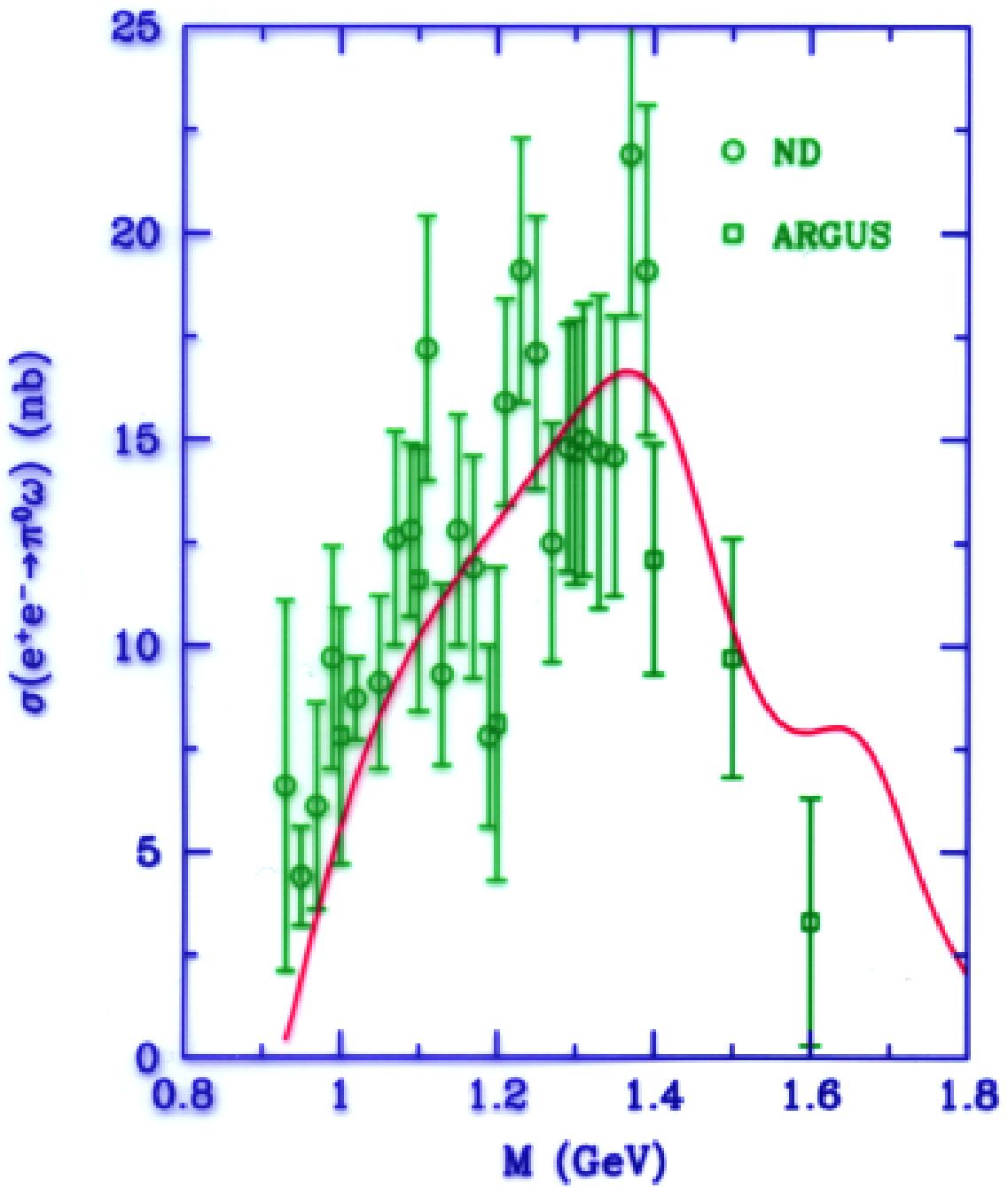
$\pi a_1 \rightarrow e^+ e^- (\ell^+ \ell^-)$ is important.

(Stern, Ko & C.G., 1994)



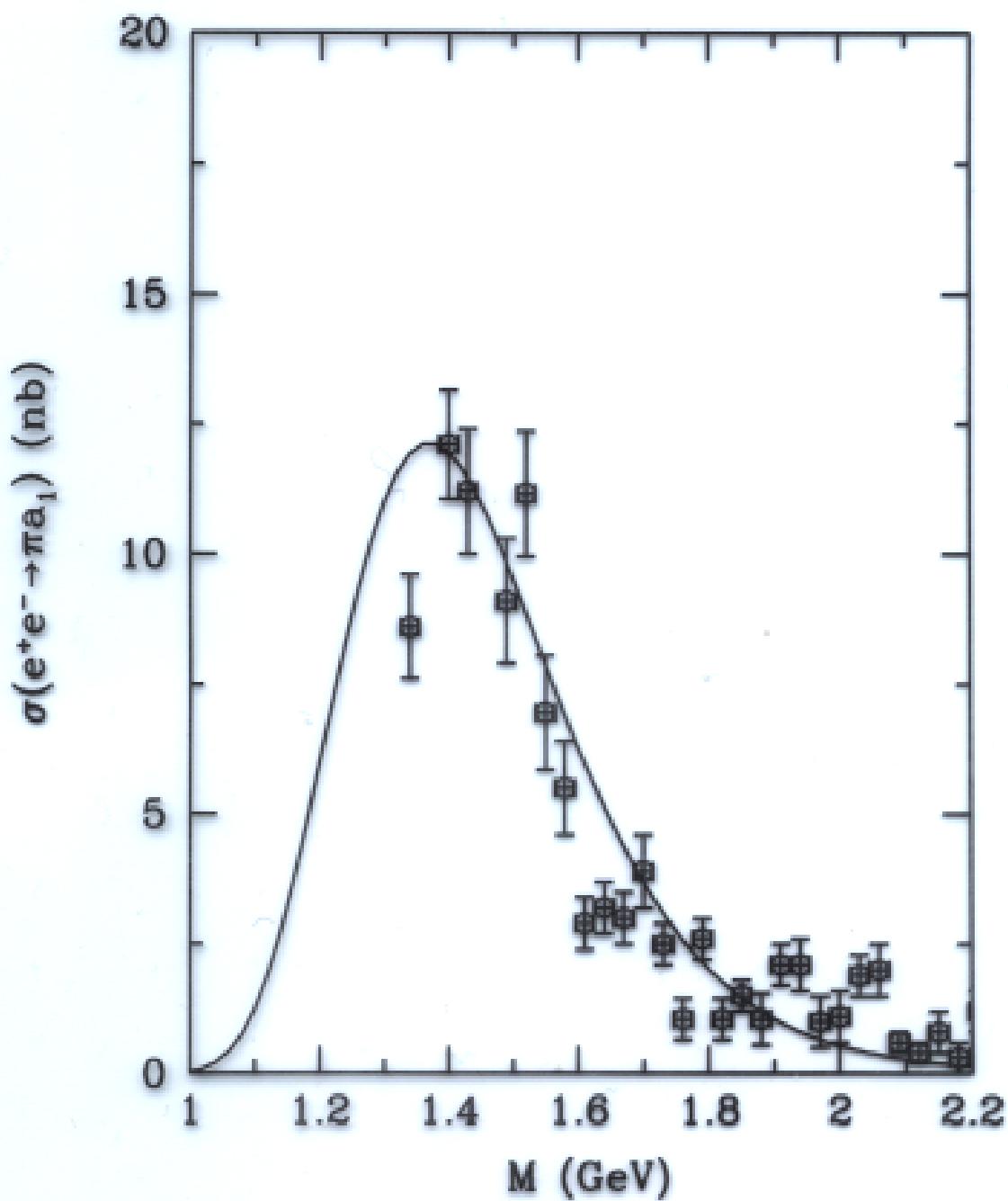
- Fortunately, data exists!





ΔΠ2

D. BISSEAU *et al.*, 1991

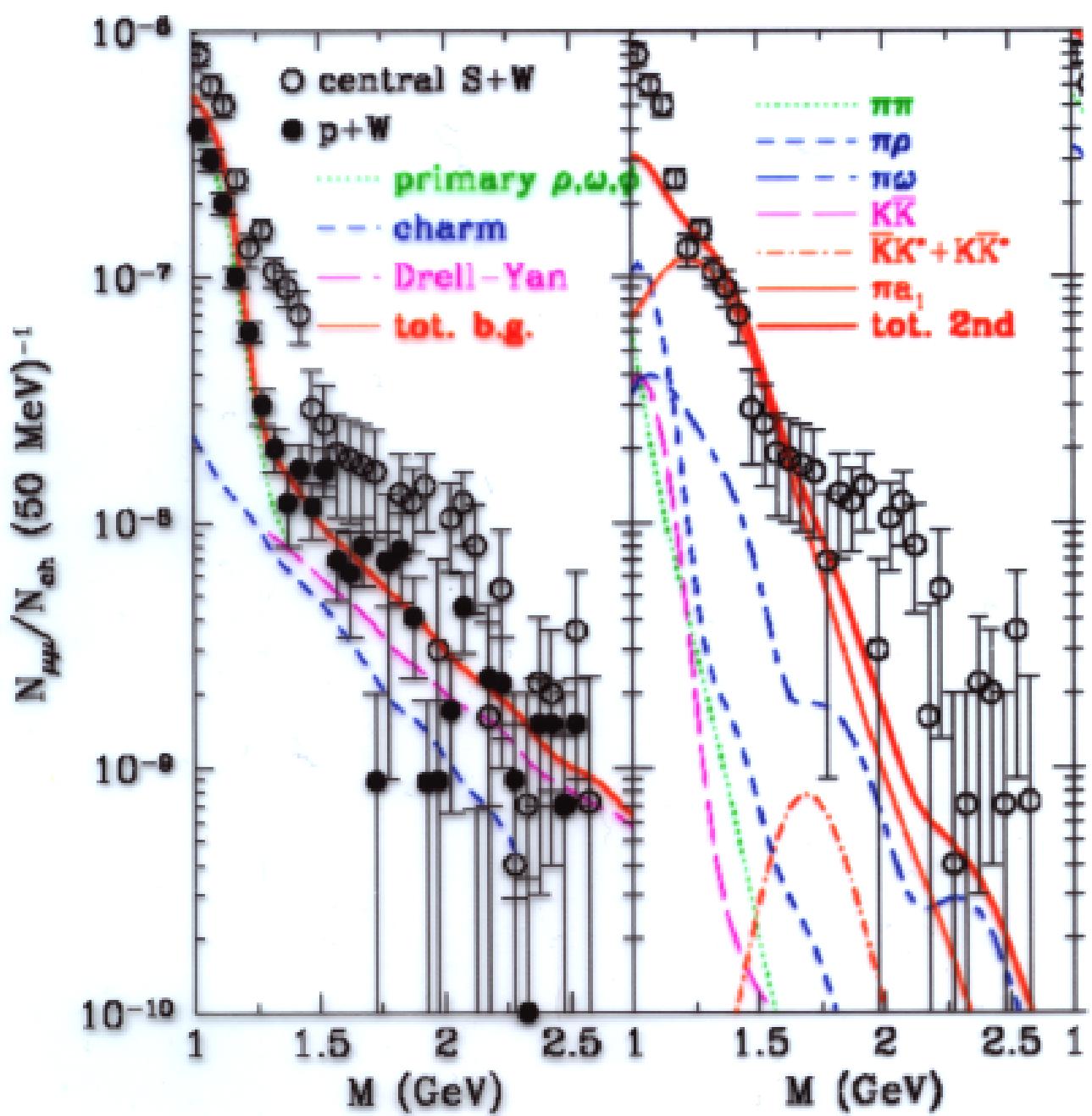


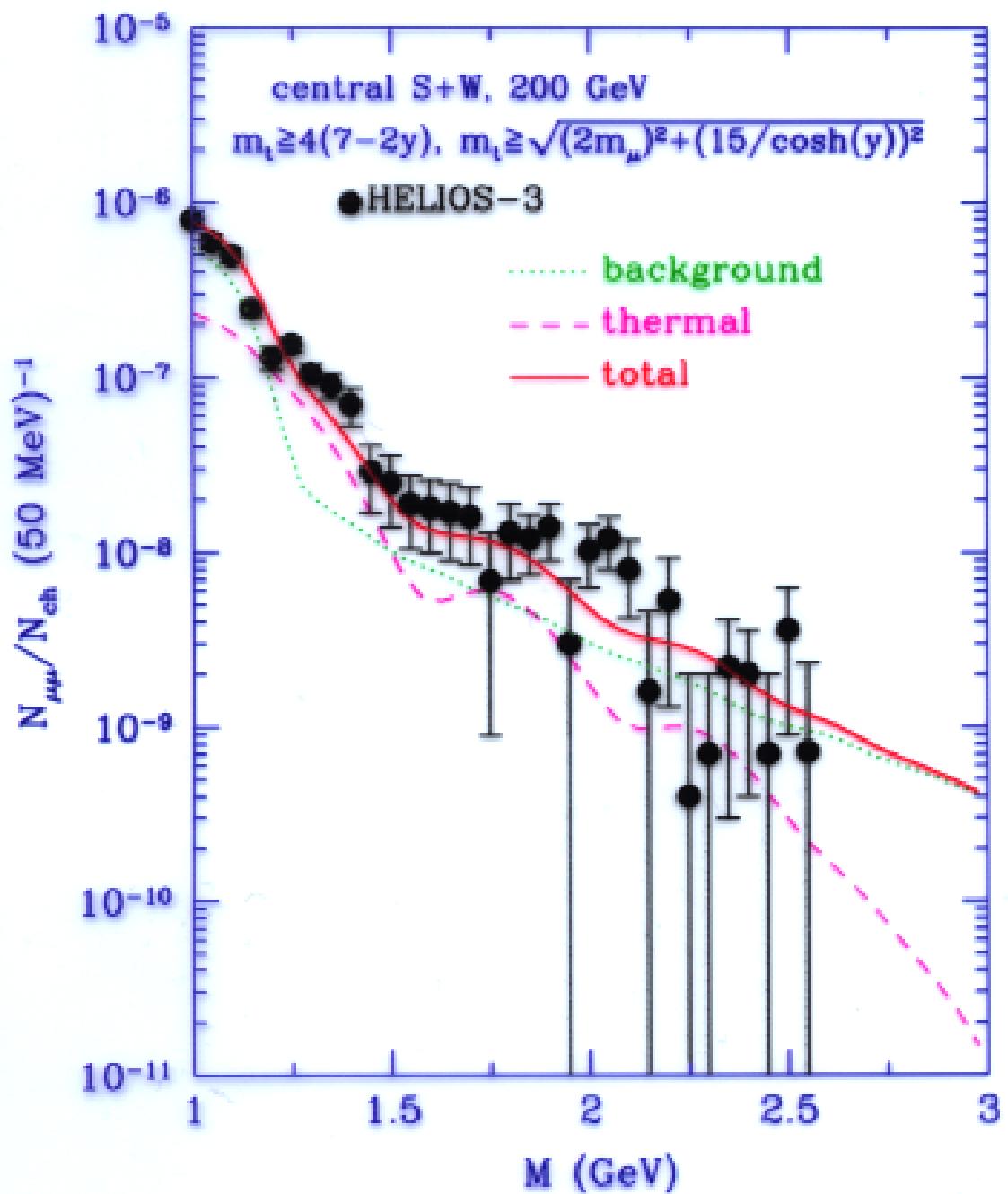
KUNSWIKK, 2000

INTERMEDIATE - PI-ASS DILEPTONS:

HELIOS/3 $\mu^+\mu^-$ DATA:

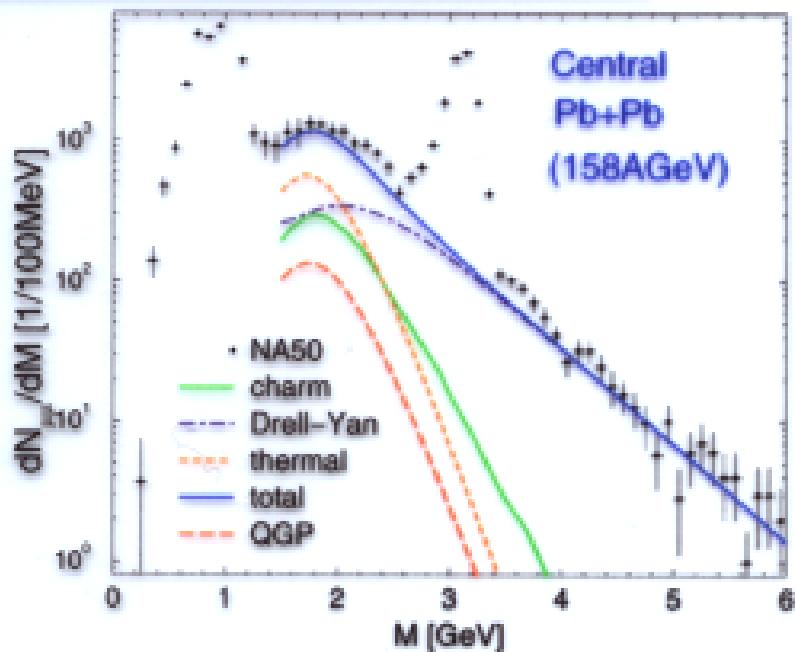
C.G.Li & C.G., PRC 50, 2914 (1998).



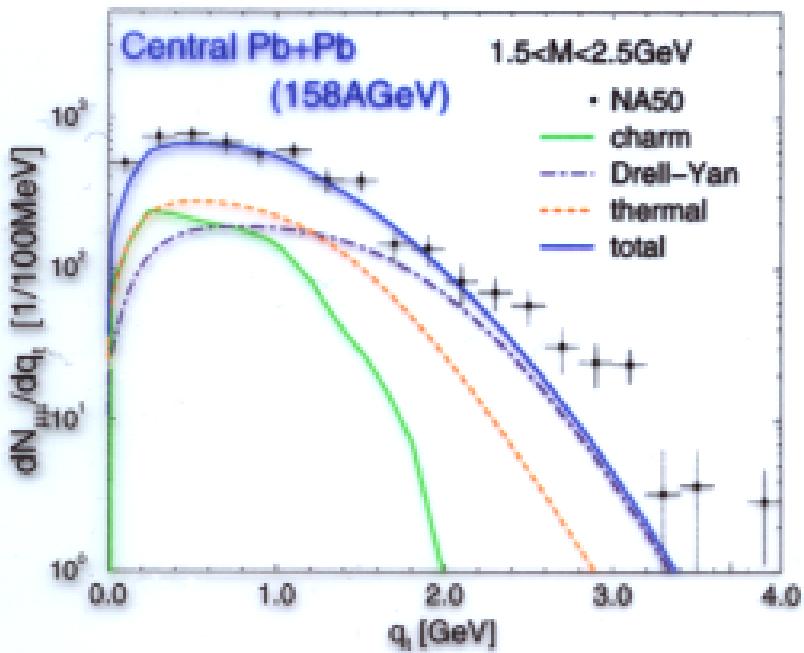


@ . G . Li & C.G., 1998

Intermediate mass dileptons (II)

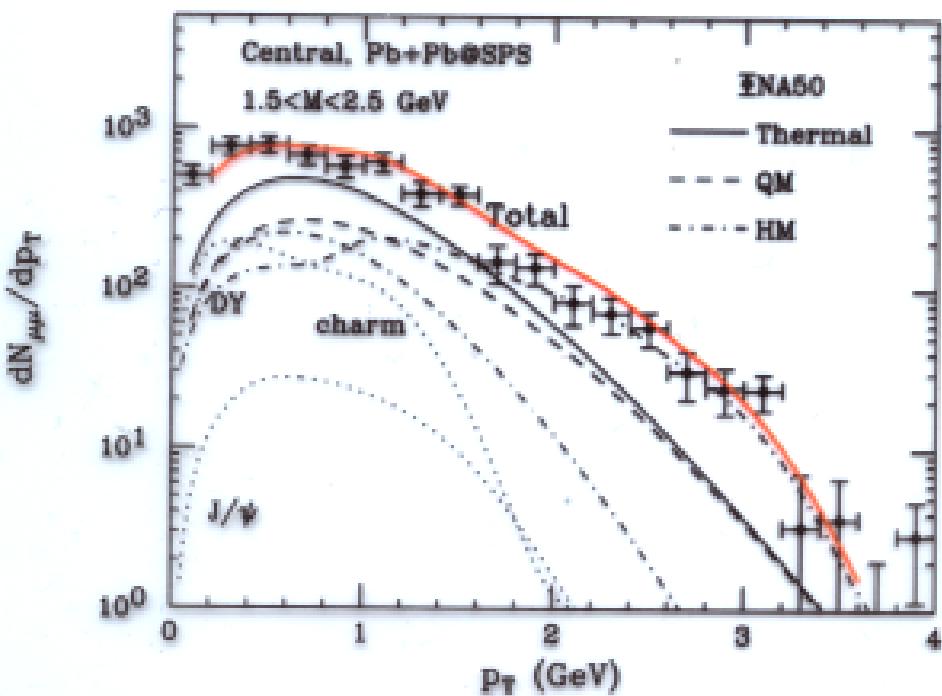
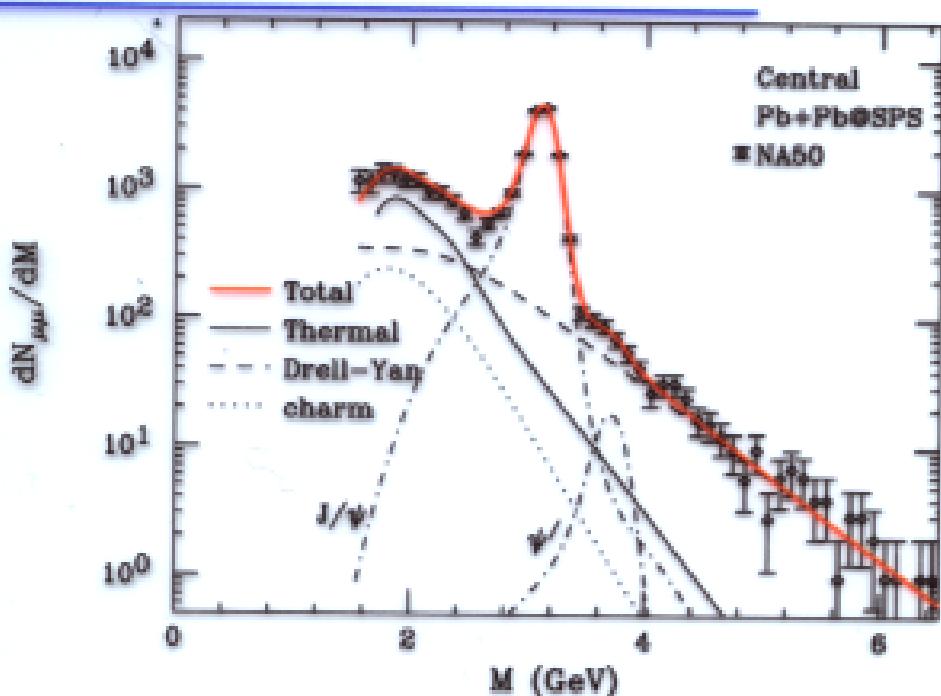


R. Rapp + E. Shuryak,
PHYS. LETT. B473, 13
(2000).



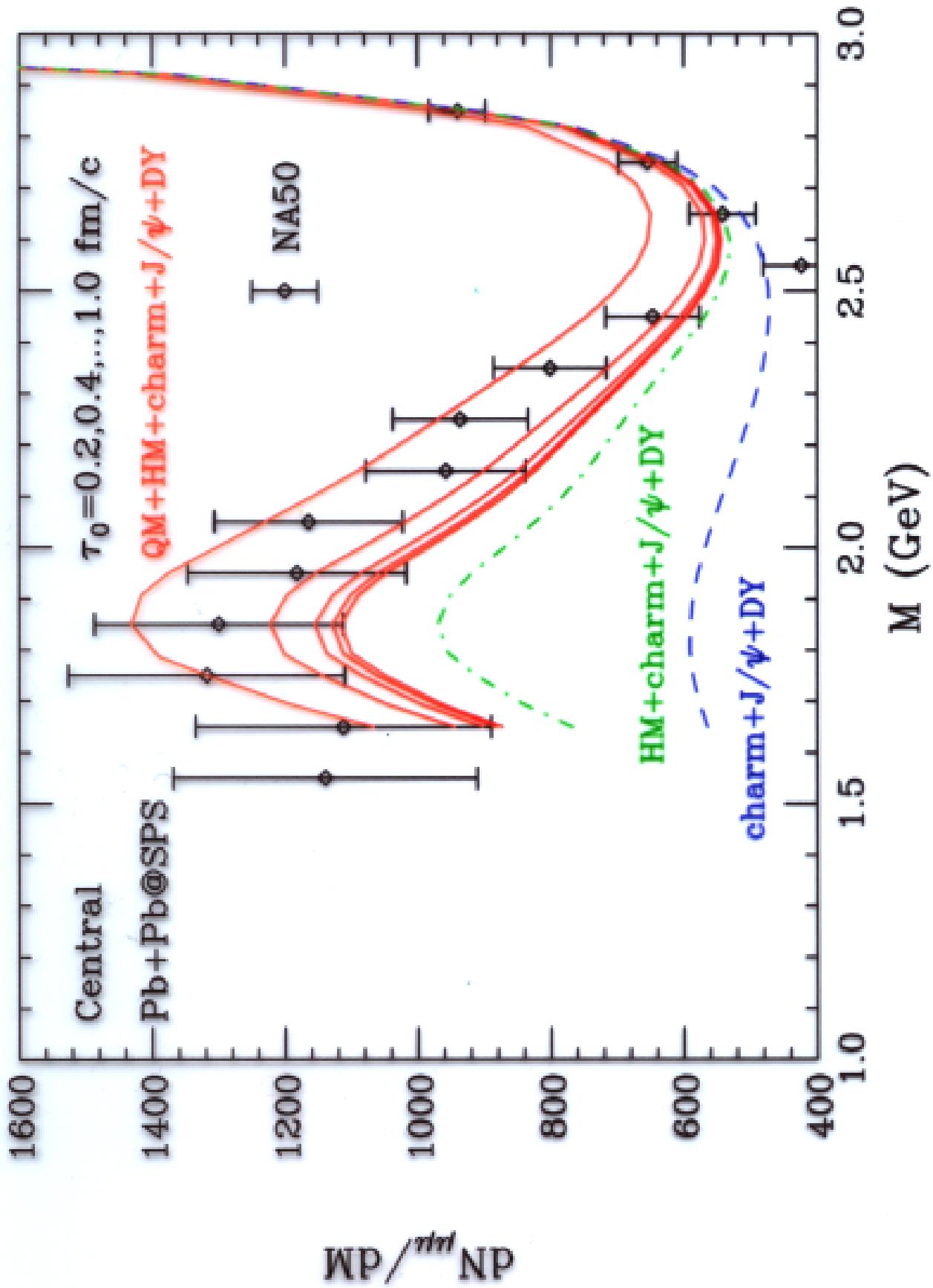
THE INTERMEDIATE-MASS REGION "IS FILLED IN"
BY THE "THERMAL" CONTRIBUTION.

Intermediate mass dileptons



KUASNIKOWA, C.G., and SAINI, S.N.
in preparation

Spontaneous, heavy quarkonia, C-G.



Conclusions:

LOW MASS $\ell^+ \ell^-$:

- LOW ENERGY LUMS RESULTS ANTICIPATED

REAL γ :

- UNCERTAINTIES:
 - QCD SECTOR (RHIC)
 - " HIGH T"
 - HADRON RATES: PHENOMENOLOGY
 - COMPLETE DYNAMICAL SCENARIOS
- WE CAN MAKE PROGRESS
- SPECTRAL DENSITIES (2 LOOPS)

I.M. $\ell^+ \ell^-$:

- THERMAL COMPONENT IS PRESENT
- CHIRAL ENVIRONMENT?
- ACCEPTANCE!

CHIRAL SYMMETRY? • NOT CONCLUSIVE

$$\rightarrow f_A(\omega, \vec{q}) \rightarrow 0,$$

LNR? NO (Rapp/C.G. 1997)
Koch, 1999

$$f_A(\omega, \vec{q}, m, T) \leftarrow \begin{cases} \text{IMR? MAYBE} \\ \gamma? \text{ MAYBE} \end{cases}$$

RHIC:

SHURYAK 1978

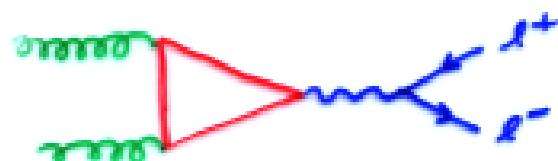
KANTTIE, KAPURTA, PUNIENEN, MELJIAN '86

RUSTAKANEN 1992

$$m_\phi \leq M \leq m_{\pi^0} \rightarrow \text{QCD}$$

NEW consideration: $\rho_g \uparrow (\tau)$, $\mu_g \neq \mu_{\bar{g}}$

$$\text{No } \cancel{g} \rightarrow \text{Funny} \quad \therefore gg \rightarrow l^+l^-$$



"SQUEEZING DILEPTONS OUT OF BROKEN SYMMETRIES"

DAJIN BEI & C.G., 2000

$$gg \rightarrow l^+l^- \sim g\bar{g} \rightarrow l^+l^-$$